

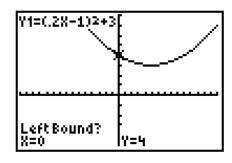
# Min/Max with a TI-83 or TI-84



### **How To Start:**

- 1. Graph the function.
- 2. Change your viewing window if needed. -
- 3. Be sure that the min/max is visible on screen.
- 4. Press the 2<sup>nd</sup>, TRACE (the CALC option).
- 5. Choose 3: minimum or 4: maximum (whichever you are looking for).

## What to do once you have requested 3: minimum or 4: maximum:



- **Left Bound? –** The calculator is requesting that you make sure the blinking
  - crosshair is somewhere to the left of the min/max point. Use the left/right arrow keys and press enter when it is.
- **Right Bound?** The calculator is requesting that you make sure the blinking
  - crosshair is somewhere to the right of the min/max point.
    Use the left/right arrow keys and press enter when it is.
- **Guess?** The calculator is asking you to place the blinking crosshair somewhere close to where the actual min/max point is located. This is especially important if there happens to be more than one max/min point.

#### **WARNING** – Decimals:

Sometimes the min/max calculations on the calculator can be off by very small amounts. For example, in the graph shown above, the calculator gives a minimum point of (5.0000016, 3). In reality the vertex on this parabola is the point (5, 3). Be wise in your solutions.

### Time to practice...

Graph the following on your calculator, find a good viewing window, and then find all minimums and maximums for the graph.

1. 
$$y = -x^2 - 8x - 18$$

2. 
$$y = \frac{e^x}{x}$$

3. 
$$y = x^3 + 6x^2 - 3x + 5$$

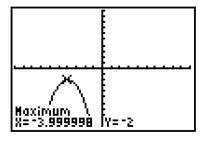


# Min/Max with a TI-83 or TI-84



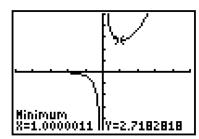
# **ANSWER KEY**

1. -



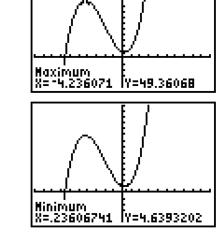
\*Note: The calculator may read (-3.999998, -2) but the actual coordinate for the maximum point is (-4, -2)

2. -



\* Note: Again, it appears that (1.0000011, 2.7182818) is the minimum point. You should understand that the x-coordinate is really 1 and the y-coordinate should look familiar. Indeed the correct coordinate is (1, e)

3. -



\* Note: Since this is a cubic function, you should have guessed that there is one minimum and one maximum on the graph. The minimum is the point (0.23606741, 4.6393202) and the maximum is the point (-4.236071, 49.36068).

